## Week 7

## Lecture 1

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- Some examples of nding relationships for F12 or F21
- Radiation exchange between two isothermal, gray surfaces: A1; 1; T1 and  $A_2, \epsilon_2, T_2$ :

$$
\dot{Q}_{12} = \frac{E_{b1} - E_{b2}}{R_{total}}
$$

where

$$
R_{total} = R_{s1} + R_{12} + R_{s2} = \frac{1 - \epsilon_1}{A_1 \epsilon_1} + \frac{1}{A_1 F_{12}} + \frac{1 - \epsilon_2}{A_2 \epsilon_2}
$$

and  $A_1F_{12} = A_2F_{21}$ .

 $\mathbf{F} = \mathbf{F} = \mathbf{F} \math$ 

 $R$ adiative thermal circuit: nodes (Eb $\mu = 0$ 1;  $\mu = 0$ 2; J1; J2),  $\mu = 0$ ,  $\mu = 0$ ,  $\mu = 0$ ,  $\mu = 0$ ,  $\mu = 0$ and throughput  $Q_{12}$ . roues  $J_1, J_2$  are called radiosities. For  $\epsilon_1 = 1, J_1 = E_{b1}$ and for  $\epsilon_2 = 1, J_2 = E_{b2}$ 

Radiative exchange relation for two innite parallel isothermal planes.

 $R$  and the concentricity of the concentric concentric cylin-telectric cylinders.

Radiative exchange relation for two isothermal concentric spheres.

 $\mathcal{L}$  relative to chromomy relation between small isothermal subtracted  $\mathcal{L}$  and  $\mathcal{L}$  and  $\mathcal{L}$ its large surroundings:

$$
Q_{12}=\epsilon_1A_1\sigma(T_1^4-T_2^4)
$$

• Kadiative Conductance  $h_{rad}$  |W  $/(m^2 + K)$ |.

$$
h_{rad}=\frac{Q_{12}}{A_{1}\left(T_{1}-T_{2}\right)}
$$

In general, it depends on several parameters:

$$
h_{rad}=f(A_1,A_2,\epsilon_1,\epsilon_2,F_{12},T_1,T_2)
$$

For a small gray convex geometry in a larger enclosure,  $A_2 >> A_1$  and

$$
h_{rad}=\epsilon_1\sigma (T_1^2+T_2^2)(T_1+T_2)
$$

See calculations in notes to show magnitude of  $h_{rad}$  for  $\epsilon_1 = 1, T_2 = 300 \ K$  and  $\Delta T = (T_1 - T_2) = 1, 10, 100\,K$  .

## Lecture 2

 $\sim$  2000 and 0.00  $\sim$  0.000 and 0.000  $\sim$  1.000  $\sim$ 

 Very thin, metallic, having high thermal conductivity such as a clean, polished aluminum foil. The conduction resistance is negligible.  $\Delta T_{shield} \approx 0$ . The shield has one temperature.

System has two isothermal gray surfaces: A1; 1; T1 and A2; 2; T2. The space surfaces: between the surfaces is a vacuum. A radiative shield is placed between the two surfaces. The system consists of two enclosures connected by the shield.

 At steady-state, the shield attains the temperature T3 such that T1 > T3 > T2. The temperature depends on several system parameters. In general the shield has two sides with different emissivities,  $\epsilon_{s1}, \epsilon_{s2}$ , facing  $A_1, A_2$  respectively.

 System with one shield can be modeled as having six radiative resistors in series:  $R_{s1}, R_{13}, R_{ss1}, R_{ss2}, R_{32}, R_{s2}$ , and

seven radiative nodes:  $E_{b1}, J_1, J_{s1}, E_{b3}, J_{s2}, J_2, E_{b2}$ 

 Net radiative heat exchange between the gray surfaces with the shield is reduced, and it is obtained from

$$
\dot{Q}_{sys} = \frac{E_{b1} - E_{b2}}{R_{sys}} = \frac{\sigma (T_1^4 - T_2^4)}{R_{s1} + R_{13} + R_{ss1} + R_{ss2} + R_{32} + R_{s2}}
$$

In general, the radiative resistors are

$$
R_{s1} = \frac{1 - \epsilon_1}{A_1 \epsilon_1}, \quad R_{s2} = \frac{1 - \epsilon_2}{A_2 \epsilon_2}, \quad R_{13} = \frac{1}{A_1 F_{13}}, \quad R_{32} = \frac{1}{A_3 F_{32}}
$$

and for the shield:

$$
R_{ss1} = \frac{1 - \epsilon_{s1}}{A_{s1}\epsilon_{s1}}, \quad R_{ss2} = \frac{1 - \epsilon_{s2}}{A_{s2}\epsilon_{s2}}
$$

For large parallel surfaces:  $A_1 = A_2 = A_{s1} = A_{s2} = A$  and  $F_{13} = F_{32} = 1$ . For long concentric circular cylinders the areas are different and  $F_{13} = F_{32} = 1$ . For concentric spheres the areas are different and  $F_{13} = F_{32} = 1$ .

 Multiple shields can be handled in a similar manner. Two shields create three connected enclosures.

## Lecture 3

- Hand out crib sheet. It will be revised slightly for the midterm exam.
- Thermodynamics. Read Chapters 1 and 2.
- $\Gamma$  . Denotes a symbols and  $\Gamma$  and  $\Gamma$  and  $\Gamma$  and  $\Gamma$
- Schematic of a system and its environment (surroundings) forming an isolated system.

 System boundary (real or imaginary, xed or movable) must be identied at all times.

- $S$ ystem interaction with its surroundings by transfer of energy in the form of  $S$ Work or Heat across its boundaries.
- $S$  , extensions:  $E = \frac{1}{2}$  ,  $\frac{1}{2}$  ,  $\frac{1}{2}$  ,  $\frac{1}{2}$  . The representation represent:
- Energy [J ], Work (displacement or shaft (torque)) [J ], and Heat [J ].

- Any specied collection of matter.
- All systems possess properties.

Thermodynamics deals with the system properties as the system interacts with its system in surroundings through Work and Heat crossing the system boundaries.

work and Heat are not properties of the system. They are forms of the system, which cross the system boundaries.

Some Properties of Systems.

- $\mathbf{A}$
- mass: Mass. Ma
- $-$  volume:  $v \mid m$ <sup>-</sup>
- $P =$  Pressure:  $P \mid N/m$ ,  $P a$
- Temperature: The first part of the second state of the second state of the second state of the second state of
- $-$  mass density:  $\rho = M/V$   $\kappa q/m$ <sup>-</sup>
- $-$  Specific volume:  $v = V/M/m^2$   $\kappa q = 1/\rho$
- $\blacksquare$
- $S$  is the special energy in the  $S$  (i.e.  $S$  ) is the  $S$
- Enterpretation of the U + P V  $\sim$  P  $\sim$
- Species enthalpy: h = H=M = u + P v (vid)

There are many other properties of systems.

System: